

*Technology of Next Level  
driven through innovation*

# Monte Carlo Particle Device Simulator

# DEVICE MODELING



	Approximate	Model	Improvements	Easy, fast
Semi-classical approaches Quantum approaches		Compact models	Appropriate for Circuit Design	
		Drift-Diffusion equations	Good for devices down to 0.5 $\mu\text{m}$ , Include $\mu(E)$	
		Hydrodynamic Equations	Velocity overshoot effect can be treated properly	
		Boltzmann Transport Equation Monte Carlo/CA methods	Accurate up to the classical limits	
		Quantum Hydrodynamics	Keep all classical hydrodynamic features + quantum corrections	
		Quantum Monte Carlo/CA methods	Keep all classical features + quantum corrections	
		Quantum-Kinetic Equation (Liouville, Wigner-Boltzmann)	Accurate up to single particle description	
		Green's Functions method	Includes correlations in both space and time domain	
	Exact	Direct solution of the $n$ -body Schrodinger equation	Can be solved only for small number of particles	Difficult



# PARTICLE DEVICE SIMULATOR



- Particle device simulator takes into account the transport of Monte Carlo particles (Super particles).
- Under influence of applied field, determined self-consistently through the solution of decoupled Poisson's and BTE equation over a suitably small time-step.
- The time step is taken typically less than the inverse plasma frequency obtained with the highest carrier density in the device.



# PARTICLE DEVICE SIMULATOR



Technologies implemented in Monte Carlo Particle Device Simulator:

- **MOSFET**
- **FDSOI**
- **Tunneling FET**
- **MESFET**
- **HEMT**



# PARTICLE DEVICE SIMULATOR



- Poisson's solution generated over the node points of the mesh,
- Carrier transport solution is obtained using Ensemble Monte Carlo (EMC) on the full range of space coordinates in accordance with the particle distribution itself.
- Particle-mesh (PM) coupling scheme is used for assignment of carrier charge on different nodes and for calculation force on each charges.

# SOLUTION



- The classification of Particle-mesh (PM) coupling scheme is included as;
  - Carrier charge assign at mesh nodes Charge in Cloud (CIC) scheme,
  - Solution of Poisson's equation on node points through Successive over Relaxation (SOR) method,
  - Calculation of the mesh defined electric field components,
  - Interpolation of forces at the particle positions.

# BOUNDARY CONDITIONS



- Particle Device Simulator (PDS) contains consistent boundary conditions with those imposed on the potential on the field.
- The particle boundary conditions contain Neumann (zero electric field in the direction normal to the surface) and Dirichlet (contacts) conditions.
- At Neumann boundary the reflecting boundaries has been taken.



# QUANTUM CONFINEMENT EFFECT



- Density-gradient model: implemented dependent on non-local quantities.
- Density gradient model is first-order quantum-correction model describe carrier confinement by locally modifying the electrostatic potential through a correction potential  $\gamma$ .
- The Boltzmann-Wigner transport equation can be derived as

$$\frac{\partial f}{\partial t} + \mathbf{v} \cdot \nabla_{\mathbf{r}} f - \frac{q}{\hbar} \sum_{\alpha=0}^{\infty} \frac{(-1)^{2\alpha}}{4^{\alpha} (2n+1)!} \nabla_{\mathbf{k}}^{2n+1} V(\mathbf{r}) \cdot \nabla_{\mathbf{k}}^{2n+1} f = \left( \frac{\partial f}{\partial t} \right)_{coll}$$



# QUANTUM CONFINEMENT EFFECT



- The corrected quantum effect is included as

$$\frac{\partial f}{\partial t} + \frac{\hbar \cdot k}{m^*} \nabla_r f - \frac{1}{\hbar} \nabla_r (V(r) - \nabla_r^2 \phi) \nabla_k f = \left( \frac{\partial f}{\partial t} \right)_{coll}$$

The correction potential term in multidimensional space is

$$\gamma(r, t) = \frac{\hbar^2}{12\lambda k_b T m^*} \left( \nabla_r^2 \phi(r, t) - \frac{1}{2k_b T} (\nabla_r \phi(r, t))^2 \right)$$

The fitting parameter  $\lambda$  is determined by comparing the carrier density in a device structure to the carrier density obtained by the solution of Poisson Equation.



# PARTICLE MESH COUPLING

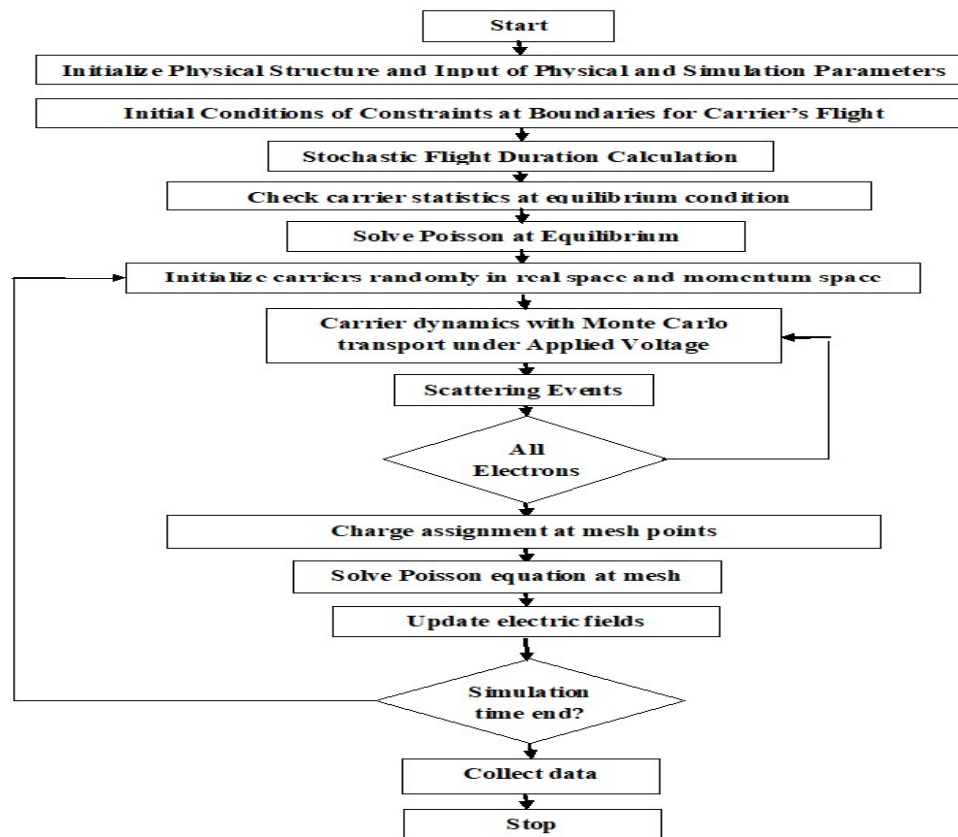


- The particle-mesh method is a widespread model for space charge calculations.
- Particle dynamics under applied electric field requires accurate solution of Poisson's equation.
- The particle simulation means the assignation of the particle's charge to the rectangular mesh.
- Two types of the most famous schemes:
  - Nearest Grid Point (NGP)
  - Cloud In Cell (CIC)

# FLOW CHART



Flow Chart for program implementation



# FLOW CHART



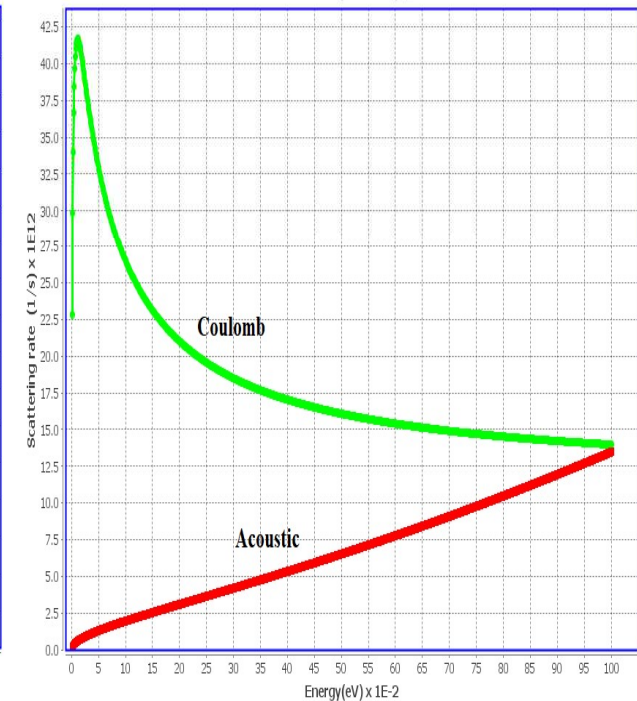
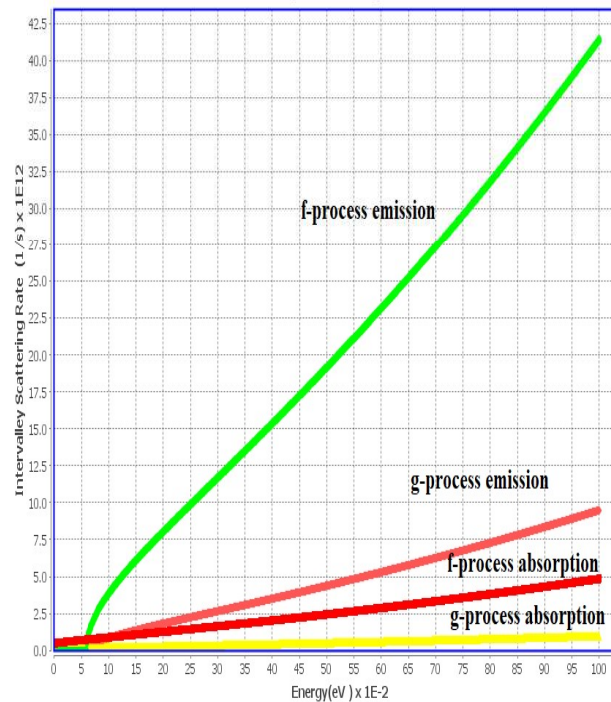
Structure Parameters	Nodes (nm)	14nm	10nm	7nm	14nm	10nm	7nm
		Single Gate			Double Gate		
$L_{eff}$ (nm)	22	14	10	22	14	10	
$W_{eff}$ (nm)	10	8	10	8	10	8	
$T_{ox}$ (nm)	1	0.85	0.75	0.75	0.85	0.75	
Doping (/cm <sup>3</sup> )	$1 \times 10^{24}$	$5 \times 10^{24}$	$2 \times 10^{25}$	$2 \times 10^{25}$	$5 \times 10^{24}$	$2 \times 10^{25}$	
$T_{SOI}$ (nm)	40	30	20	20	30	20	
Device Parameters	$V_{th}$ (mV)	0.3	0.22	0.2	0.2	0.4	0.5
	SS (/mV/dec)	63.3	67.9	82.9	82.9	87.4	72.2
	gm (mS/ $\mu$ m)	0.252	0.437	0.499	0.499	0.494	0.449

# FDSOI TECHNOLOGY UP TO 7NM



## Scattering Rates

- Intervalley,
- Acoustic and
- Coulomb

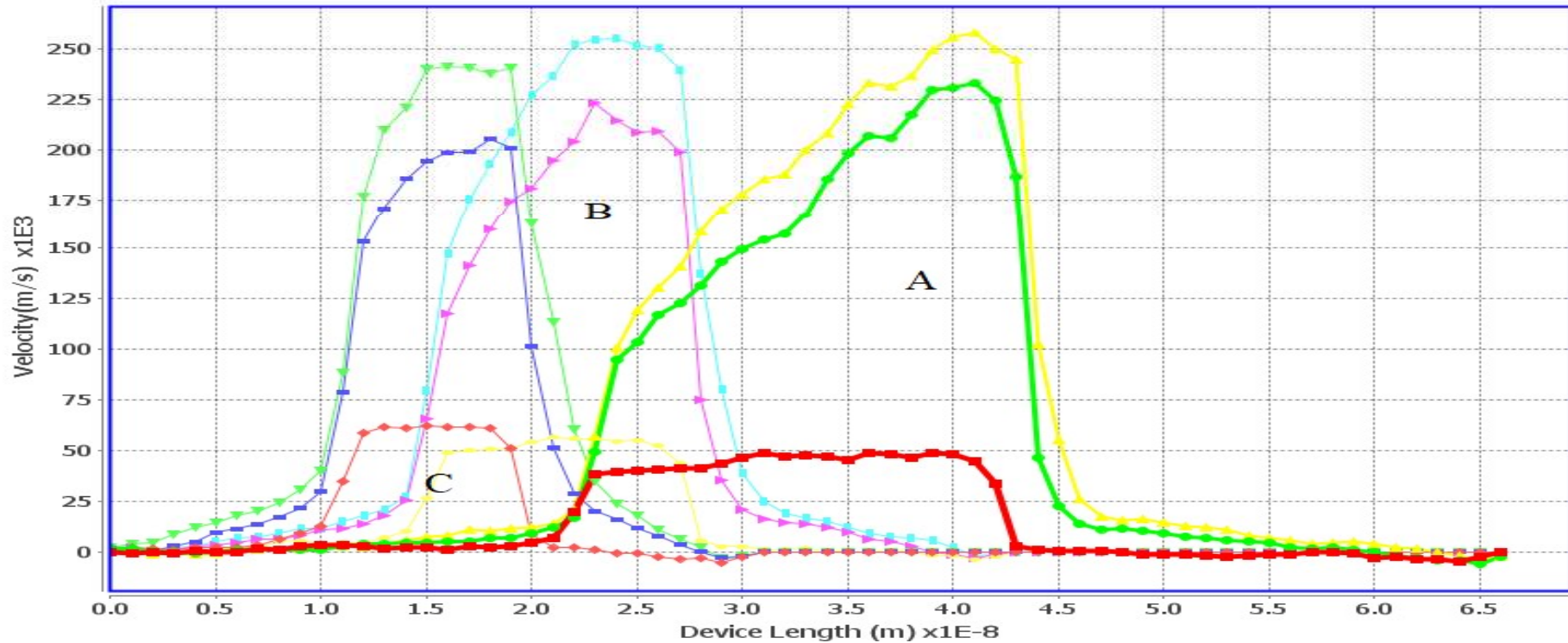




# DRIFT VELOCITY

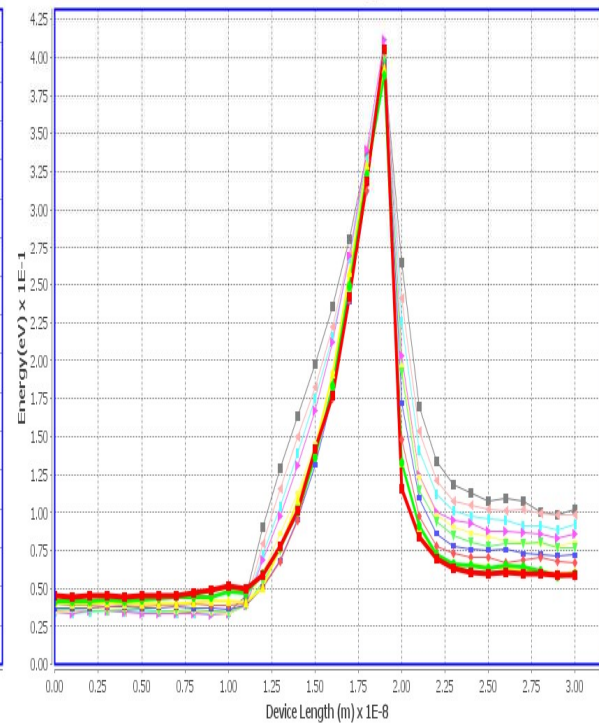
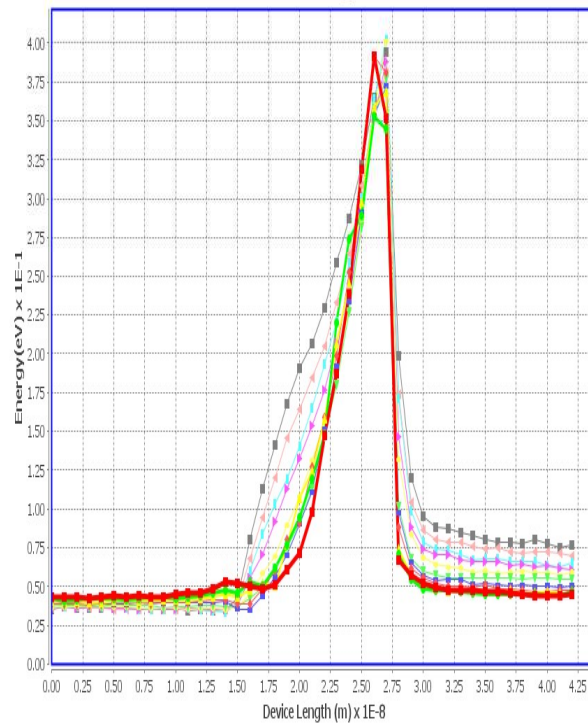
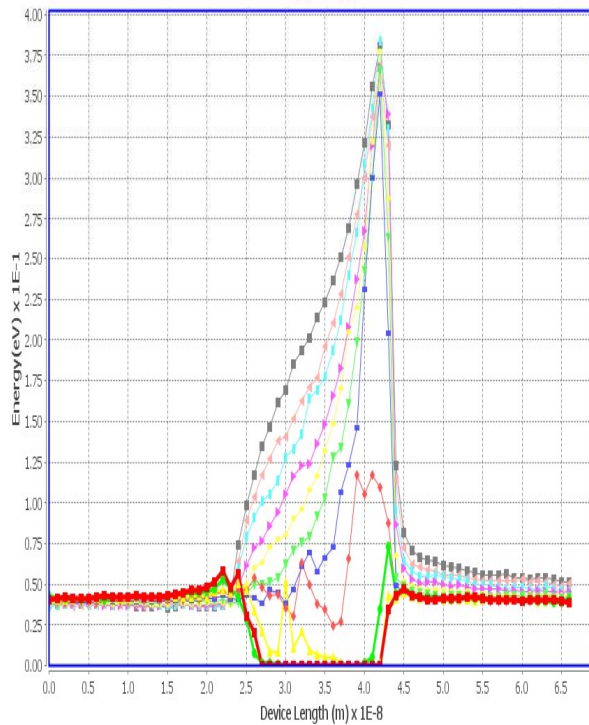


Carrier Drift Velocity for 7nm, 10nm and 14nm (Back Gate off)



Carrier Drift velocity a) 14nm b) 10nm c) 7nm

# CARRIER AVERAGE ENERGY



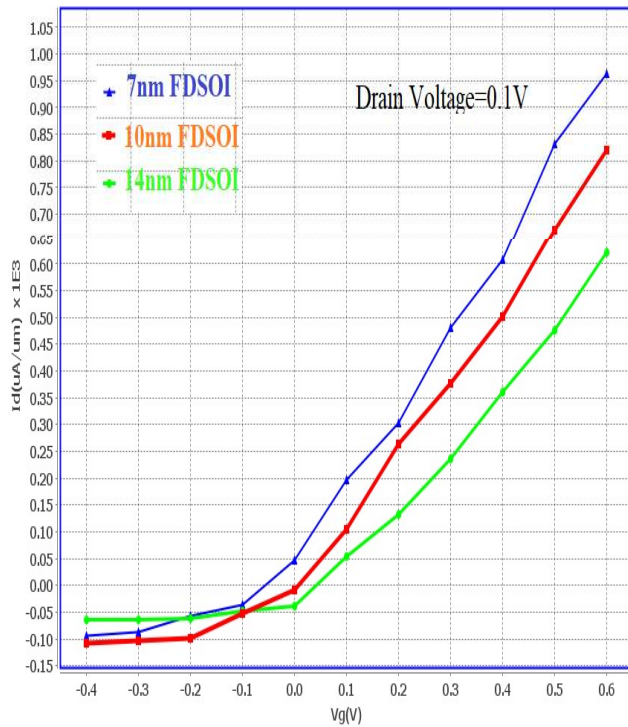
a) 14nm FDSOI MOSFET b) 10nm FDSOI MOSFET c) 7nm FDSOI MOSFET



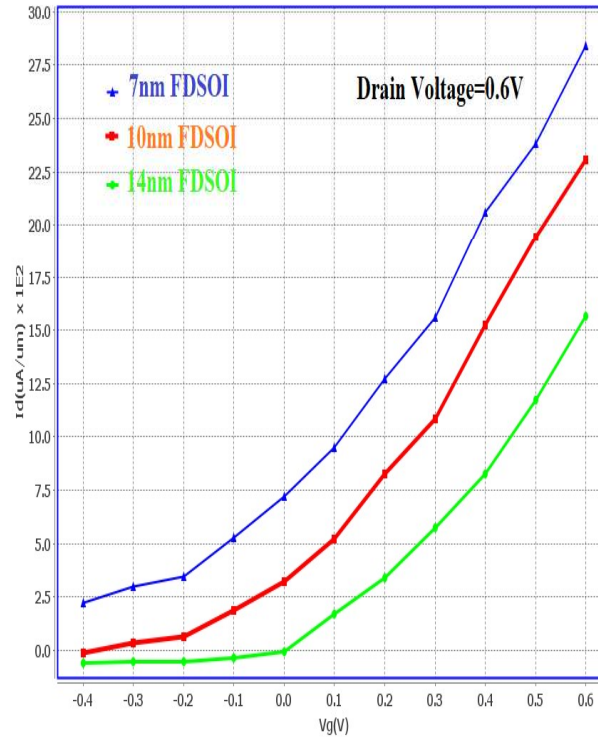
# Transfer $I_d - V_{bg}$ Characteristics



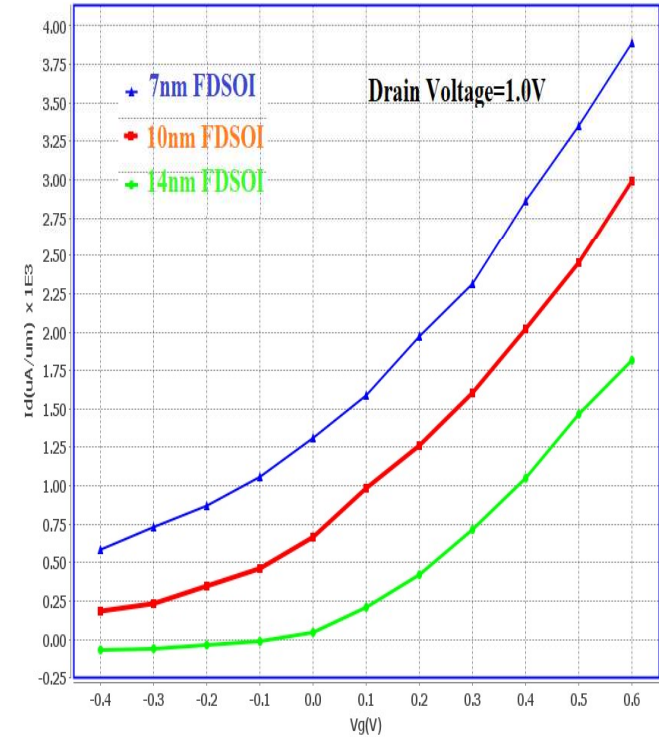
I\_V\_Characteristic



I\_V\_Characteristic



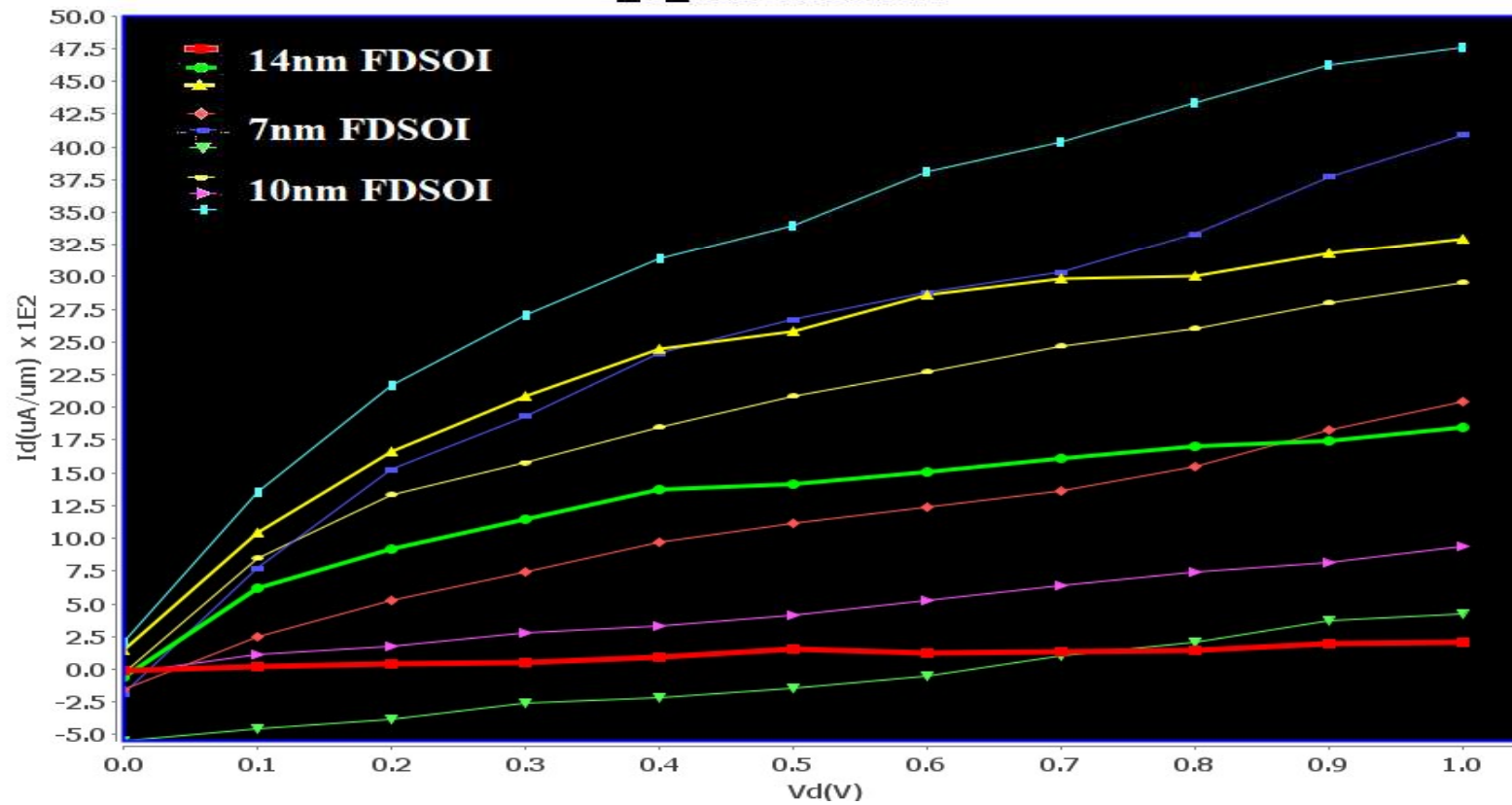
I\_V\_Characteristic



# Single Gate $I_d - V_d$ Characteristics



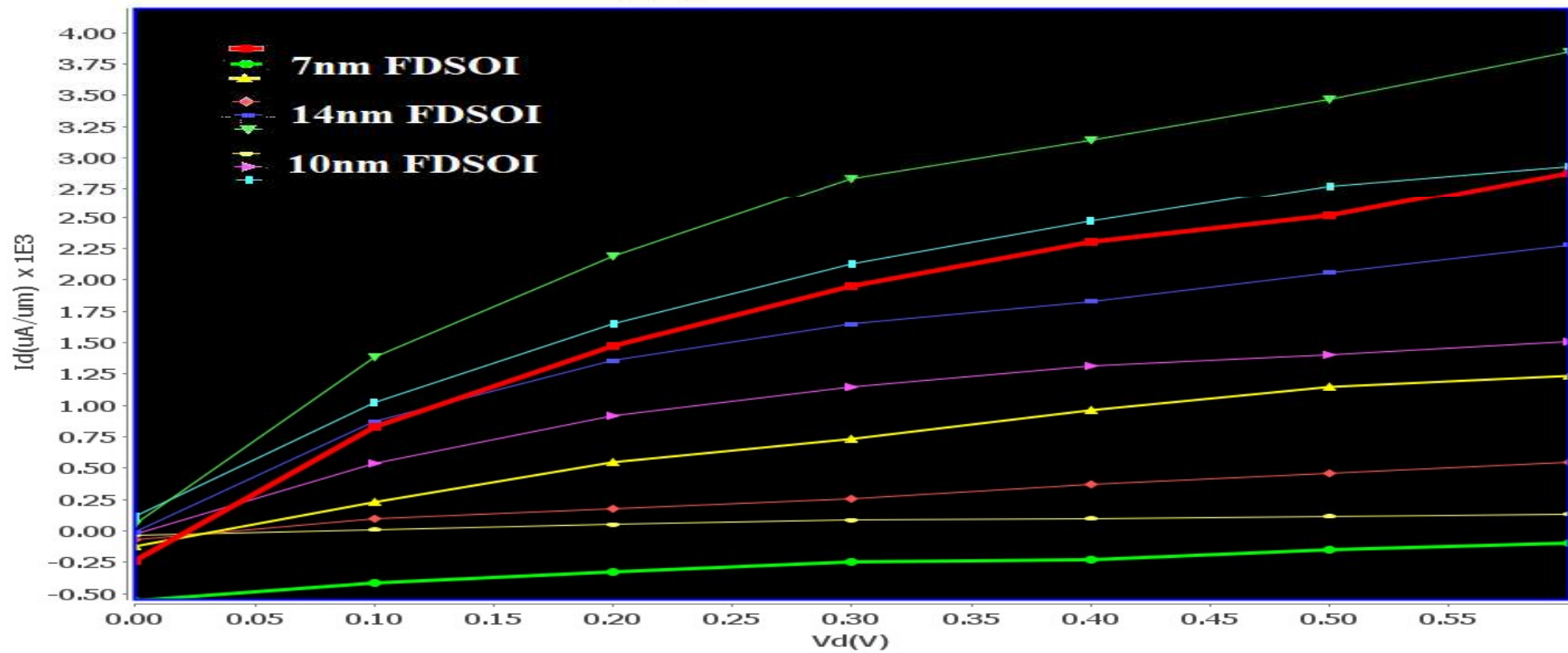
**I\_V\_Characteristic**



# Dual Gate $I_d - V_d$ Characteristics



**I\_V\_Characteristic**



**Thank You**  
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